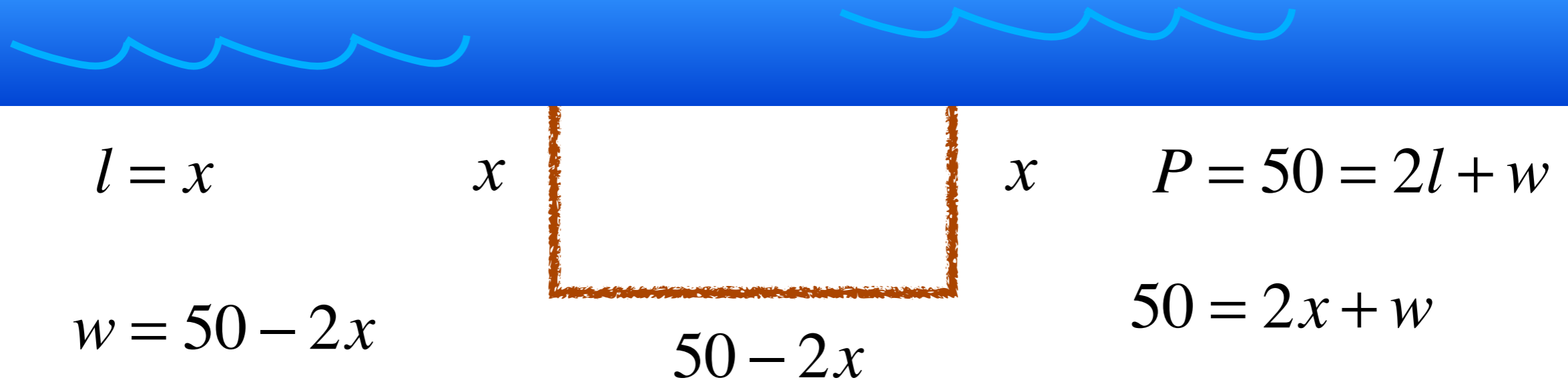


This example is like the explanation screencast with a slight wrinkle

It is much like Example 1 on page 167

Your 50 feet of fence must now enclose a rectangular space along the bank of a river. What is the maximum area that you can enclose?



How do we find the maximum value of $A(x)$?

$$A(x) = 50x - 2x^2$$

$$A'(x) = 50 - 4x \quad \text{Take the derivative!}$$

$$0 = 50 - 4x \quad \text{Set it to zero and solve for } x.$$

$$x = 12.5 \text{ feet}$$

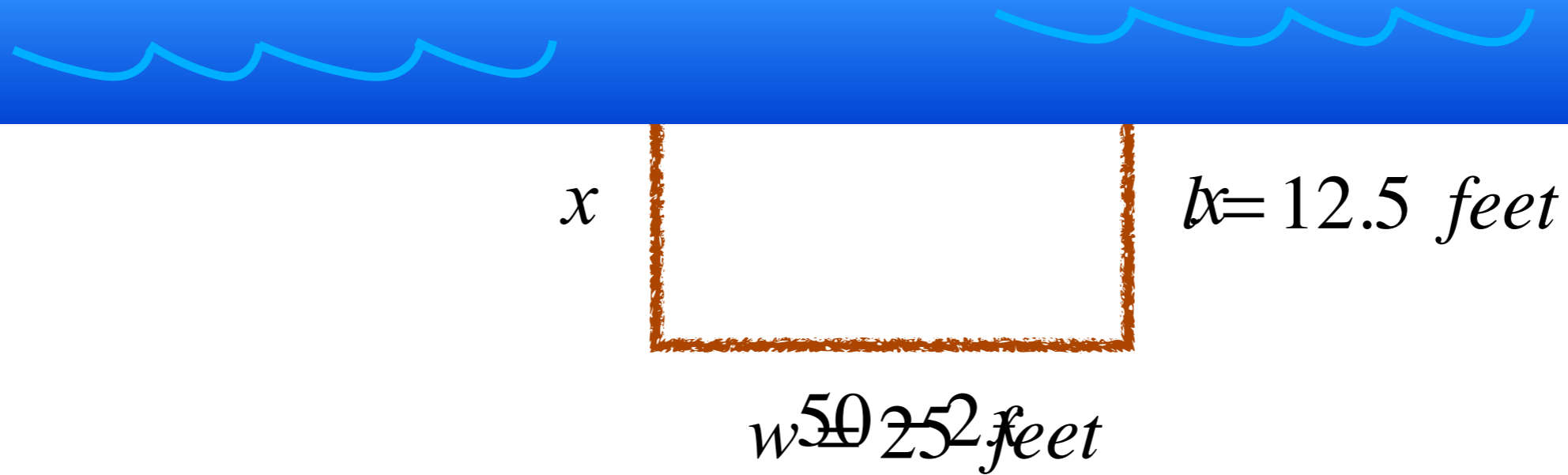
Consider $A(x)$ to be the area formula as a function of x .

What is the domain?

$$0 < x < 25 \text{ feet}$$

Since $x = 0, 25$ would give us $A(x) = 0$, this value must give a local maximum for $A(x)$

Your 50 feet of fence must now enclose a rectangular space along the bank of a river. What is the maximum area that you can enclose?



$$A_{\max} = 312.5 \text{ feet}^2$$