

Sample Means: \bar{x}

$$\mu_{\bar{x}} = \mu$$

$$\sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}}$$

Normality

1. $x \sim N$
2. $n \geq 30$ (CLT)

Only 1. OR 2.
needs to happen
to assume normality

Sampling Distributions

On formula sheet



$$\Rightarrow \bar{x} \sim N\left(\mu, \frac{\sigma}{\sqrt{n}}\right)$$

$$\hat{p} \sim N\left(p, \sqrt{\frac{p(1-p)}{n}}\right) \Leftarrow$$

Sample Proportions: \hat{p}

$$\mu_{\hat{p}} = p$$

$$\sigma_{\hat{p}} = \sqrt{\frac{p(1-p)}{n}}$$

Normality

1. $np \geq 10$, 2. $n(1-p) \geq 10$
3. Ten percent rule

Both 1 AND 2 must
happen to assume
normality

Vocab/Extras

parameter p, μ, σ
come from a population

statistics \hat{p}, \bar{x}, s
come from a samples

Statistics estimate parameters

Sampling distribution = what shape is the graph of your data?

$$x \sim N(\mu, \sigma)$$

$$x \sim B(n, p)$$

$$\bar{x} \sim N\left(\mu, \frac{\sigma}{\sqrt{n}}\right)$$

$$x \sim G(p)$$

$$\hat{p} \sim N\left(p, \sqrt{\frac{p(1-p)}{n}}\right)$$

$$x \sim U$$

Differences of Sample Means:

$$\mu_{\bar{x} \pm \bar{y}} = \mu_x \pm \mu_y$$

$$\sigma_{\bar{x} \pm \bar{y}} = \sqrt{\frac{\sigma_x^2}{n_x} + \frac{\sigma_y^2}{n_y}}$$

Normality

1. $x \sim N$ $y \sim N$

2. $n_x \geq 30$ and $n_y \geq 30$ (CLT)

Only 1. OR 2.
needs to happen
to assume normality

Sampling Distributions

On formula sheet



Differences of Sample Proportions:

$$\mu_{\hat{p}_1 - \hat{p}_2} = p_1 - p_2$$

$$\sigma_{\hat{p}_1 - \hat{p}_2} = \sqrt{\frac{p_1(1-p_1)}{n_1} + \frac{p_2(1-p_2)}{n_2}}$$

Normality

$n_1 p_1 \geq 10$ $n_2 p_2 \geq 10$

$n_1(1-p_1) \geq 10$ $n_2(1-p_2) \geq 10$

3. Ten percent rule for both populations

Both 1 AND 2 must
happen to assume
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$$x \sim B(n, p)$$

$$\bar{x} \sim N\left(\mu, \frac{\sigma}{\sqrt{n}}\right)$$

$$x \sim G(p)$$

$$\hat{p} \sim N\left(p, \sqrt{\frac{p(1-p)}{n}}\right)$$

$$x \sim U$$